

# British Columbia Offshore Sailing Association Sight Reduction Form



Name \_\_\_\_\_

## Time & Date

<b>1</b>	Watch Time	h	m	s	Local Date
	Watch Error <small>Slow + Fast -</small>	h	m	s	
	Zone Diff <small>+W -E</small>	h	m	s	
	UTC	h	m	s	UTC Date
		h	m	s	

## Dead Reckoning: Where I think I am

<b>2</b>	DR Latitude	°	′	″	/
	DR Longitude	°	′	″	/

## Sextant Data

<b>3</b>	Body	Hs	°	′	″	/
	Height of Eye ft. m.	Dip	°	′	″	/
		Hs <sup>corr.</sup>	°	′	″	/
		Index Err <small>+off -on</small>	°	′	″	/
		Ha	°	′	″	/
			°	′	″	/
			°	′	″	/
			°	′	″	/

Ho & Hc

Plotting Data

## Almanac

<b>4</b>	GHA h	°	′	″	v (moon/ planets)	°	′	″	/	d + -	°	′	″	/	HP (moon)	°	′	″	/	
	GHA + min/sec	°	′	″																
	v corr: will be pos. if v is pos & neg if v is neg.																			
	SHA +	°	′	″	SHA for Stars															
	GHA	°	′	″																
	GHA	°	′	″																
	GHA	°	′	″																
	GHA	°	′	″																
	GHA	°	′	″																
	GHA	°	′	″																
	GHA	°	′	″																

## Assumed Position & Meridian Angle

<b>5</b>	aL	°	′	″	For aL, use nearest whole degree from DR latitude (box 2.1).
	aλ	°	′	″	For aλ, transfer the hemisphere and whole-number degrees from the DR longitude (box 2.2) to 12a. For the minutes in 12b, select a number such that GHA Δ aλ comes out to a whole number of degrees.*
	t (LHA)	°	′	″	

\*t = MA = LHA = difference between aλ and GHA. With sun, t is west if it is after local apparent noon where you are.

a is difference between Hc & Ho  
If Hc > Ho then a is **AWAY**  
If Ho > Hc then a is **TOWARD**

## Collect Data For 249

<b>6</b>	aL	°	′	″	From 5.1
	Dec (whole deg)	°	′	″	These are the 3 pieces of data you use to enter Pub. 249
	t (LHA)	°	′	″	

## Pub. 249

<b>7</b>	tab Hc	°	′	″	d + -	°	′	″	/	Z	°	′	″	/						
		°	′	″																
	d corr: will be pos. if d is pos. & neg. if d is neg.																			
		Dec min	°	′	″	Pub. 249 already "knows" about 9a. Tell Pub 249 about 9b by entering it here.														
		Hc	°	′	″															
			°	′	″															

If object is E of you, transfer from 7.3. If object is W of you, Zn = 360° - Z, then transfer into 9.2.

<b>9</b>	Intercept T A (a) = Hc Δ Ho	°	′	″	From 5.1
	Zn	°	′	″	From 5.2
	aL	°	′	″	
	aλ	°	′	″	

\*For DR in west longitude, aλ minutes = minutes of GHA. E.g.  
DR λ = W 53° 27'  
GHA = 137° 23'  
aλ = W 53° 23'  
t = W 84°.

\*For DR in east longitude, aλ minutes = (minutes of GHA) minus 60. E.g.  
DR λ = E 130° 14'  
GHA = 310° 41'  
aλ = E 130° 19'  
t = W 81°.

# Foldout Definitions and Explanations

a = altitude intercept = intercept  
a $\lambda$  = assumed longitude  
aL = assumed latitude  
AP = assumed position(aL + a $\lambda$ )  
d = difference in declination from hour to hour  
GHA = Greenwich hour angle (=  $\lambda$ ).  
GHA and Declination define GP of body  
GP = geographic position of body, where GHA is equivalent to  $\lambda$  and declination is equivalent to lat.  
Hc = height-corrected (corrected altitude)  
Ho = height observed/observed alt.  
HP = horizontal parallax  
Hp = Height Precomputed (can compare directly with hs)  
Hs = height sextant  
IC = Index correction  
LHA=Local Hour Angle = angle from the AP longitude to the GHA, measured westward  
MA = Meridian angle = angle from the AP longitude to the GHA, measured east or west  
MA 10°E = LHA 350°  
MainCorr = refraction+semi-diameter combined correction  
Tab = tabulated  
v = variation in GHA compared to sun  
Z = azimuth angle  
Zn = azimuth

d will be negative if Dec is decreasing hour by hour.  
d will be positive if Dec is increasing hour by hour.

Box 4.2 - If a planet, look down to the bottom of the column for v.  
If the moon, look to the right for v.

a $\lambda$ = assumed longitude  
aL = assumed latitude

v - planets and moon always positive unless explicitly noted  
d - positive if decl. increasing negative if decl. decreasing  
HP - Moon only - always pos.

d answers the question "How far to the north or south does the object move in an hour?"  
v answers the question, "How much faster or slower does the object move than the sun?"  
If we know this, we can use the incremental change in the sun's E/W position, and simply apply a correction for the object.

Box 8.1 - Use page A2 for sun/stars/planets.  
Use moon pages in Almanac (pp. xxxiv-xxxv) for moon.  
Almanac may have detachable yellow card for one or both of above.

**Alternate way to notate Lat/Long**  
In latitude, positive values = north of the equator.  
Negative values = south of the equator.  
In longitude, positive values = east of Greenwich. Negative values = west of Greenwich.  
10°, -05° is equivalent to N 10°, S 5°

## Meridian Angles, east and west

### YOUR DR IS IN EAST HEMISPHERE

The GHA is between 180° 00.0' and 259° 59.9', then convert GHA to east longitude by subtracting the GHA from 360°.

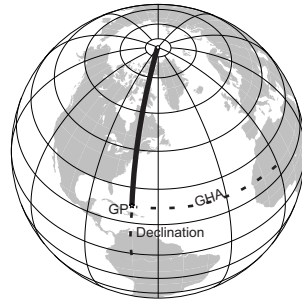
Then use an AP with  $\lambda$  minutes = GHA minutes, and subtract the smaller from the larger.

The GHA is between 0° 00.0 and 179° 59.9', then use an AP with  $\lambda$  minutes = 60 minus GHA minutes. Then ADD the AP  $\lambda$  to the GHA.

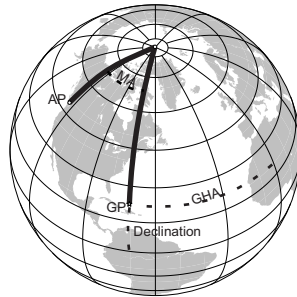
### YOUR DR IS IN WEST HEMISPHERE

Use an AP with  $\lambda$  minutes = GHA minutes, and subtract the smaller from the larger.

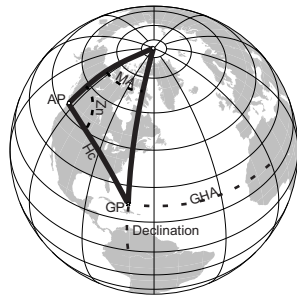
Once you complete section 4, you will know the location of the GP.



Once you complete section 5, you will know the location of the AP and the meridian angle.



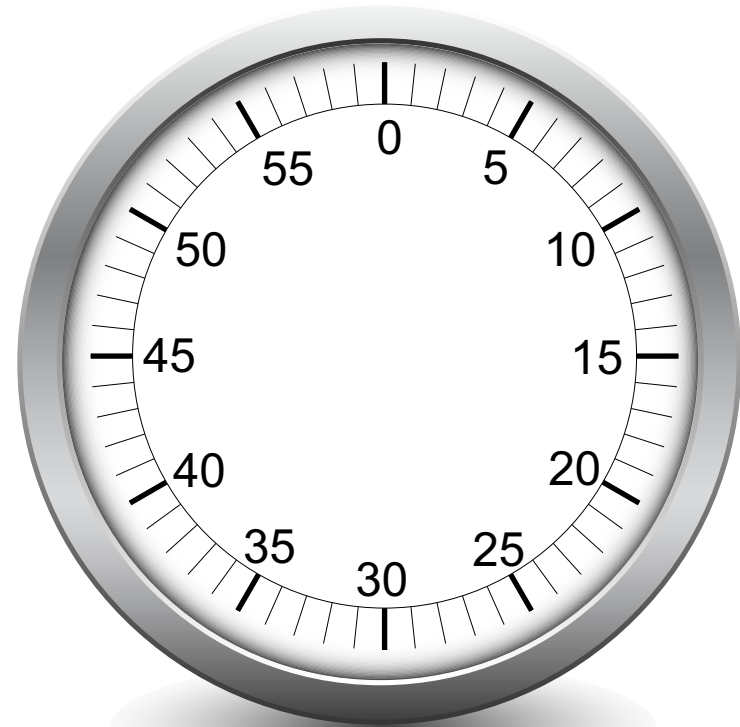
Once you complete section 7, you will know the final side of the navigational triangle.



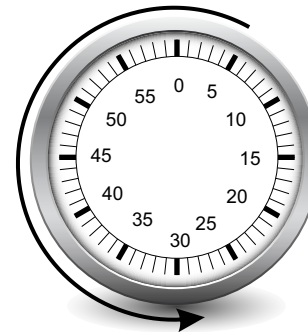
You will use all this information about the navigational triangle on the plotting sheet. There, you will use your sextant data to compare your actual position to the hypothetical, assumed position.

From this, you end up with a fix.

## Visual Addition/Subtraction of Minutes Similar to adding/subtracting time.

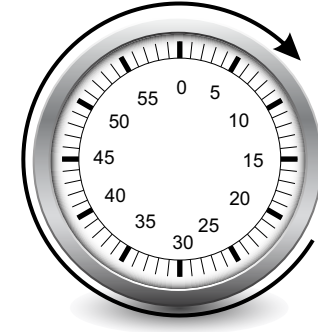


$$12^{\circ} 05' \text{ minus } 37' = 11^{\circ} 28'$$



Alternatively:  
 $12^{\circ} 05'$  is equivalent to  $11^{\circ} 65'$   
 hence...  
 $11^{\circ} 65'$  minus  $37' = 11^{\circ} 28'$

$$12^{\circ} 20' \text{ plus } 49' = 13^{\circ} 09'$$



Alternatively:  
 $12^{\circ} 20'$  plus  $49' = 12^{\circ} 69'$   
 $12^{\circ} 69'$  is equivalent to  $13^{\circ} 09'$

# Subtracting Z from 360 to get Zn.

Example  
 $Z = 100^\circ \text{ W}$   
 $Z_n = 360^\circ - 100^\circ = 260^\circ$

